



# **Cooling of Highly Charged Ions** at **TITAN**

**Gerald Gwinner**  
**University of Manitoba**

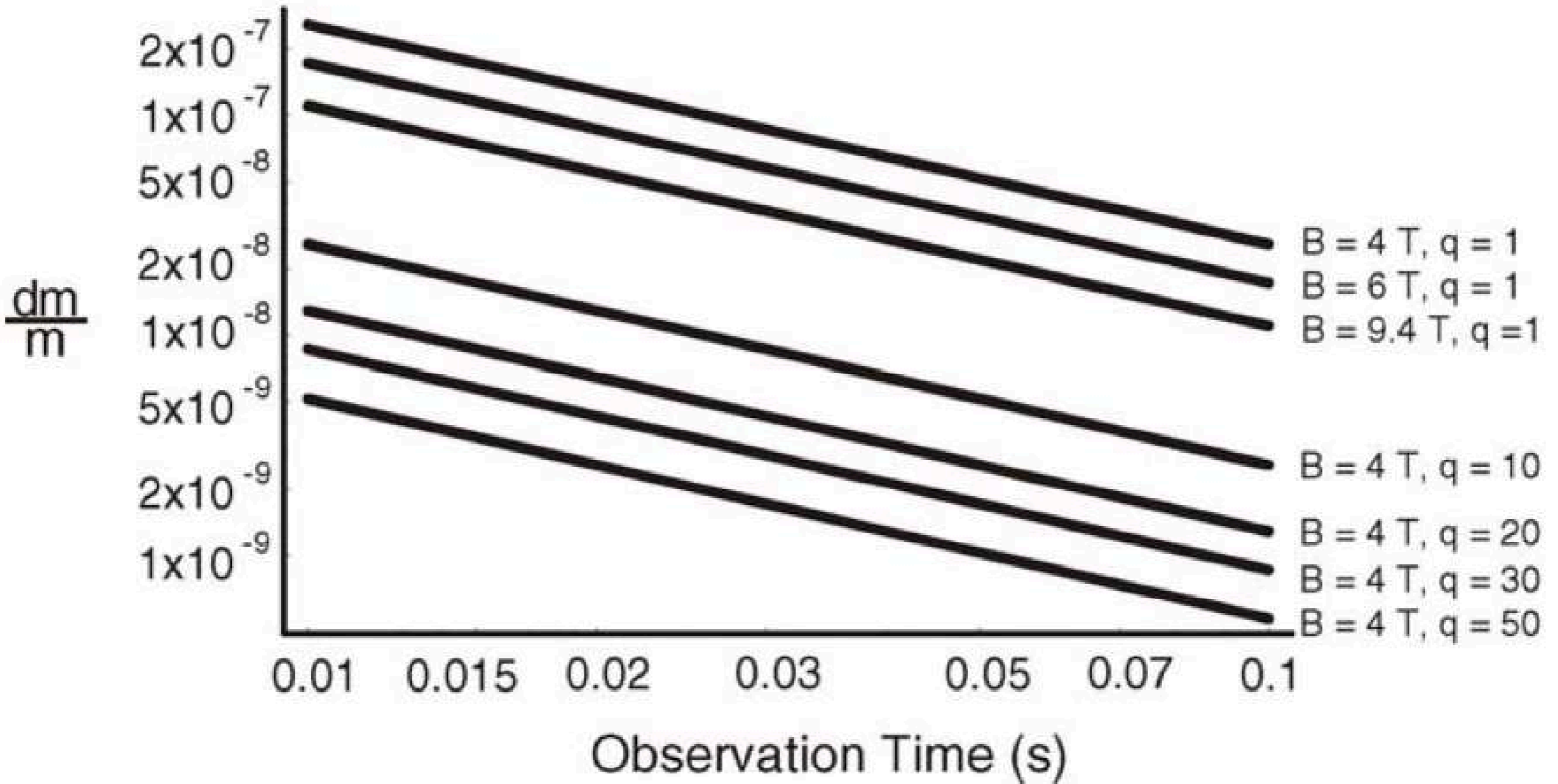
Vanessa Simon, Usman Chowdhury, Spencer Pasioka, Paul Delheij, Mel Good, Jens Dilling

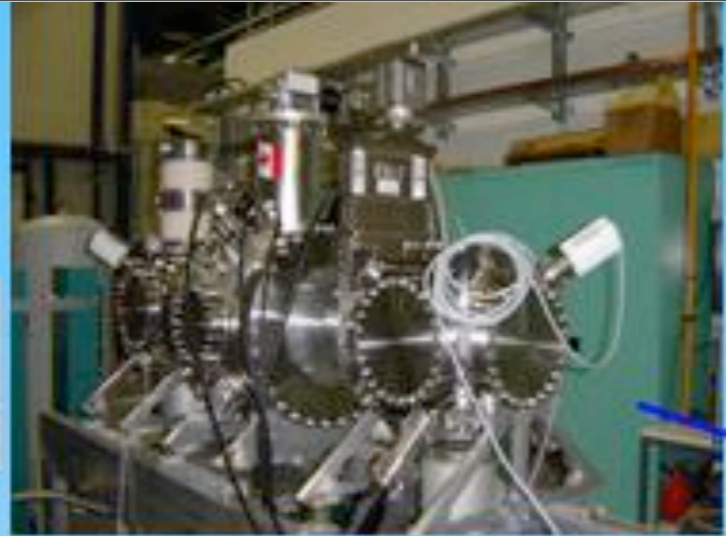
Zunjian Ke, Wei Shi, Scott Foubister, Vladimir Ryjkov, Peter Grothkopp

# Mass measurements with highly charged ions

$$\frac{m}{\delta m} \propto \omega_c T_{\text{RF}} \sqrt{N} = \frac{qB}{m} T_{\text{RF}} \sqrt{N}$$

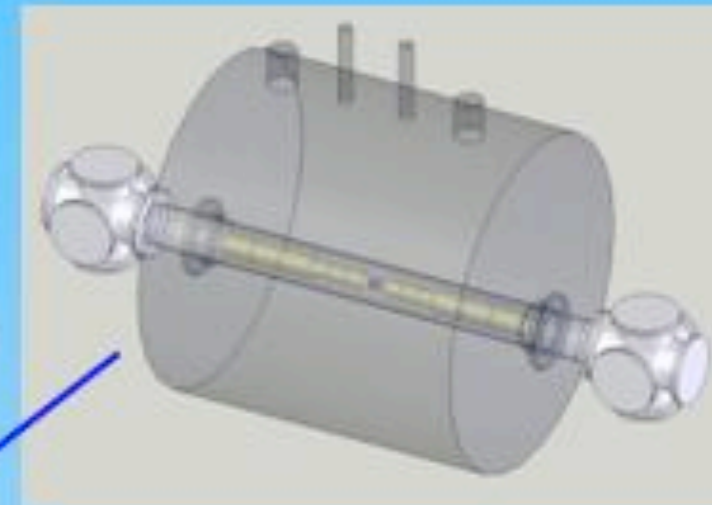
$m = 100 \text{ u}, N = 10,000$





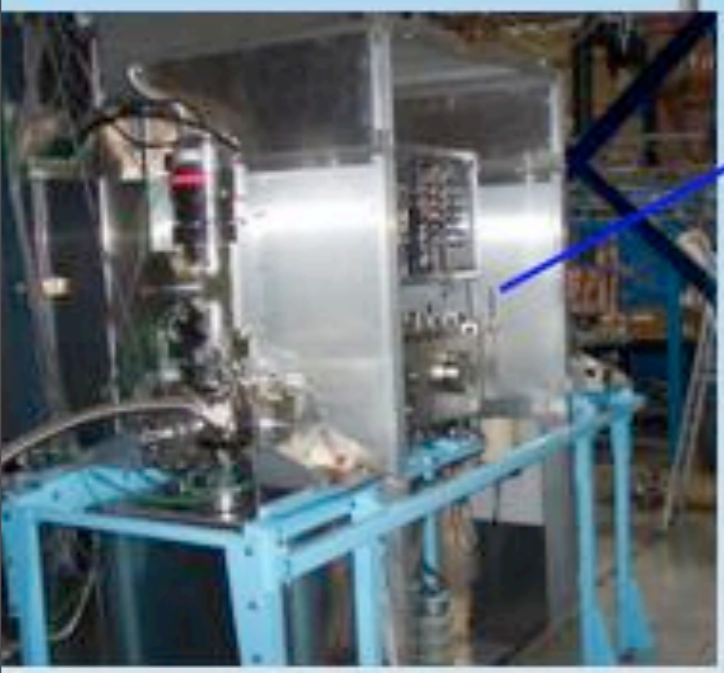
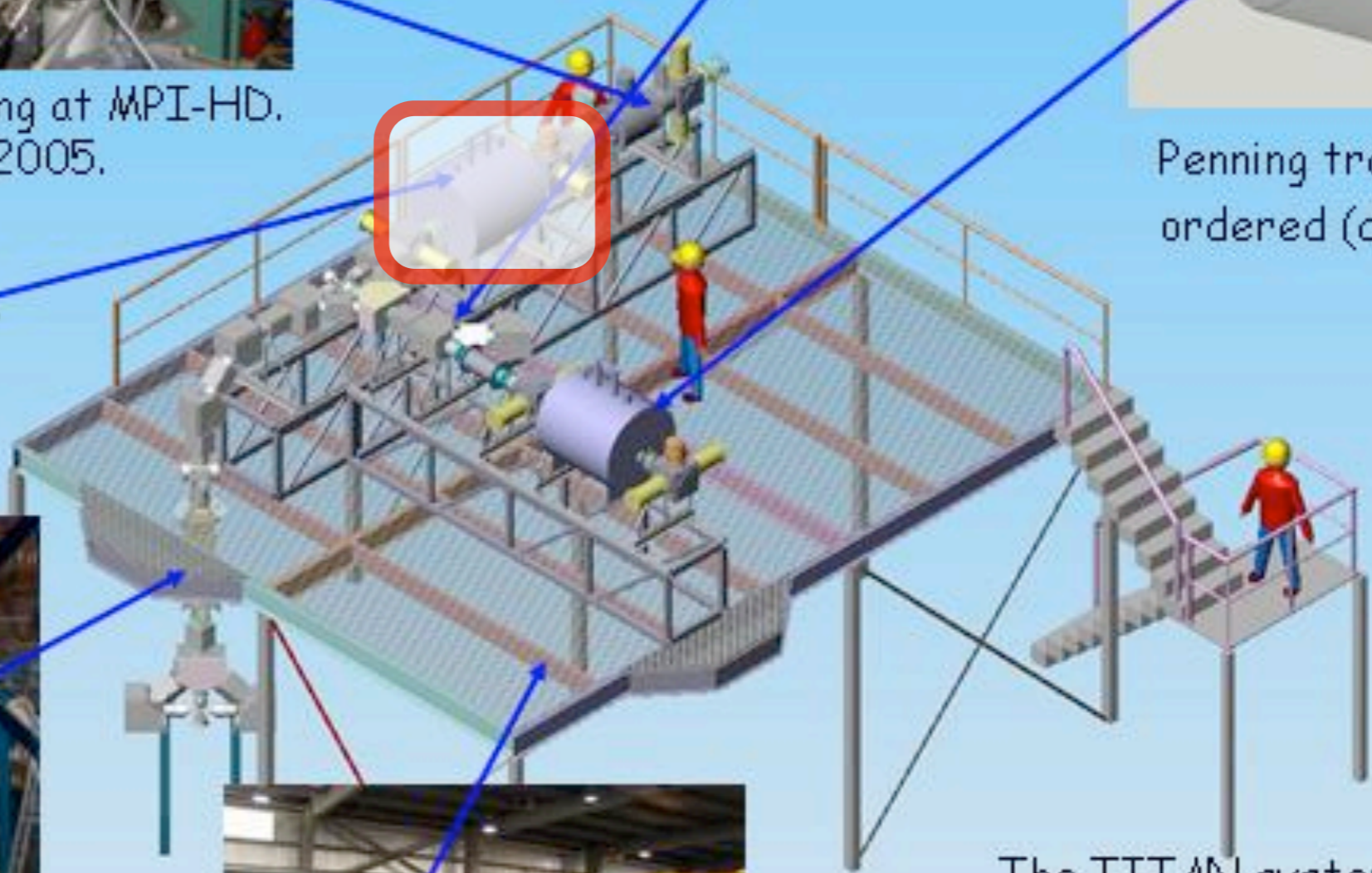
EBIT under testing at MPI-HD, to TRIUMF July 2005.

 **McGill**  
Wien filter  
(R=500)



Penning trap magnet ordered (del. July 2005)

Cooler trap for HCI (to be built in Manitoba, CFI grant received)



RFQ operational on test bench

**TRIUMF**



**ISAC**



TITAN platform finished at ISAC

The TITAN system is under construction and will be operational for mass measurements at ISAC/TRIUMF in 2006.

Isotopes with  $T_{1/2} \approx 10$  ms  
 $\delta m/m < 1 \cdot 10^{-8}$

# Why do we need to cool HCl between the EBIT and the precision Penning trap ?

- ion temperature for mass measurement:

$$T_i \lesssim 1 \text{ eV}/q$$

- EBIT:  $T_i \gg 1 \text{ eV}/q$  must be expected

# What do we know about ion temperatures in EBITs ?

- REXEBIS: few 10 eV/q
- Oshima et al.: EBIS/ECRIS "generally"  $> 10$  eV/q
- Dresden EBIT:  $T_i = 3 - 6$  eV/q measured for  $\text{Ar}^{16+}$  but low  $j_e$  and  $E_e$
- Livermore, evaporative cooling inside EBIT:  
10 – 20 eV/q for  $\text{Dy}^{66+}$  (no data ?)  
Penetrante et al.
- Livermore, evaporative cooling & self-cooling during extraction:  $T_i \approx 0.1qeV_{\text{trap}} \Rightarrow \approx 10 - 50$  eV/q  
Marrs, TITAN workshop 2002 (no data)



## Ion Heating and Cooling

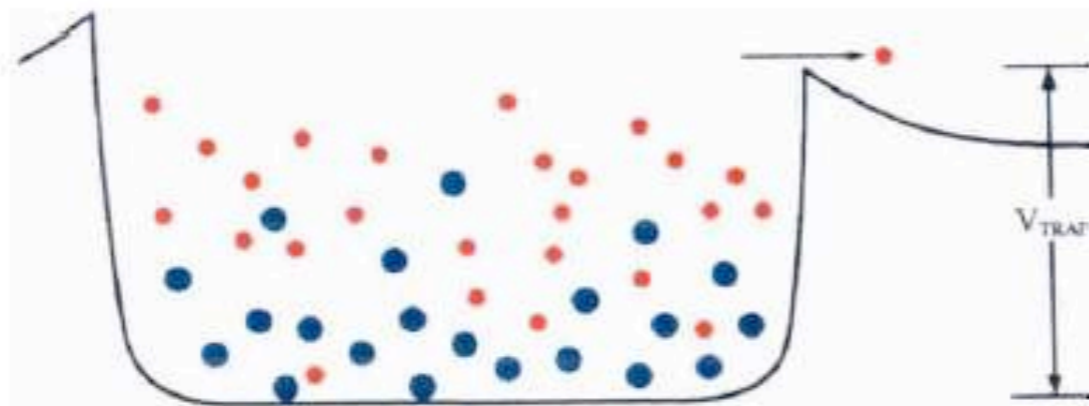
- Ions are heated by Coulomb collisions with beam electrons

- Heating rate per ion: 
$$H_i = \pi \frac{j_e}{e} \frac{q^2 e^4}{E_e} \frac{2m_e}{M_i} \lambda_{ie}$$

- Example:  $^{100}\text{Sn}^{40+}$  in an Intense EBIT,  $H_i \approx 5q$  eV/ms  
(Note: beam space charge potential  $\approx 450q$  eV)

- Evaporative ion cooling reduces ion temperature and emittance

evaporation rate  $\propto e^{-qeV_{trap}/T_i}$   
 $\Rightarrow$  low- $q$  ions are lost  
 $\Rightarrow$  high- $q$  ions are trapped



- Controlled injection and evaporation of low- $Z$  ions compensates for electron beam heating of high- $q$  ions
- Thermal equilibrium  
 $\Rightarrow T_i \approx 0.1qeV_{trap}$
- Self cooling during extraction can produce a dramatic reduction in ion temperature

- self-cooling requires slow (ms) spills — not suitable in our case

# Ion temperature on extraction from EBIT

- actual data appears sparse
- no definite conclusions possible
- emittance/temperature measurements from TITAN EBIT will be necessary, and also interesting in general
- For now must assume that HCI have temperatures of 10...100 eV/q  
⇒ additional cooling before precision trap most likely necessary

# Techniques for ion cooling

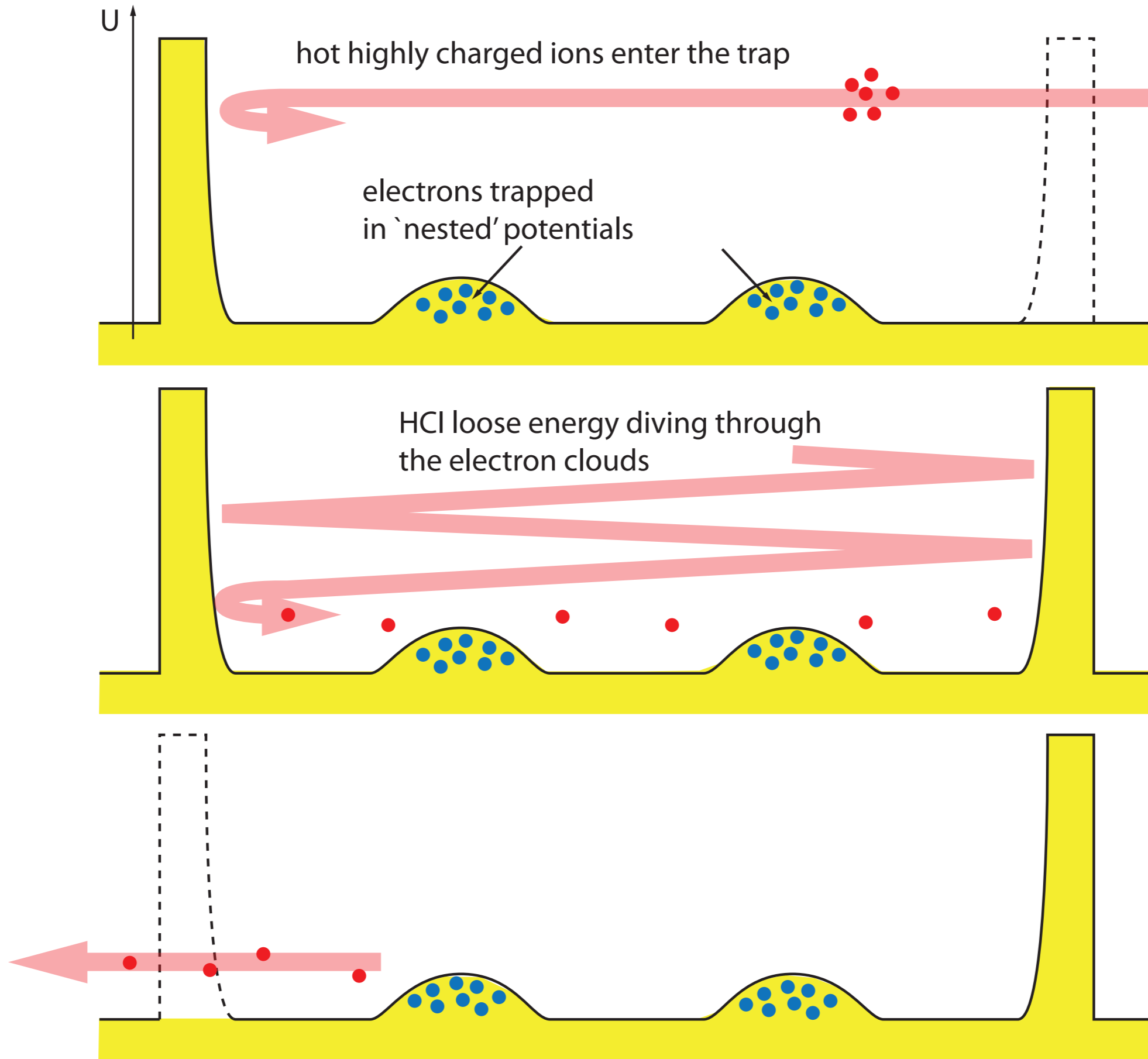
- buffer gas cooling
  - well established method for SCI  
NO (charge exchange)
- resistive cooling
  - well established, fast enough — if  $Q$  high enough → would require cryogenic operation
  - ion specific tuning of resonant circuit required



- electron cooling
  - demonstrated for (anti)protons and HCl at  $T_i \gtrsim$  few eV/q
  - advantage: electrons self-cool via synchrotron radiation
  - disadvantage: electron-ion recombination
- positron cooling
  - avoids recombination, but technically more involved (mCi level source)
- ion-ion cooling with light, cool ions (protons,  $\text{He}^{2+}$ )
  - no recombination issues
  - but no synchrotron cooling, need initially cold light ions

laser cooling?

# Electron cooling in a nested Penning trap



# Simulations of Electron Cooling

- Ignore magnetic field
- simple two-component plasma model
  - Spitzer (1956), Rolston & Gabrielse (1989), Bernard *et al.* (2004)

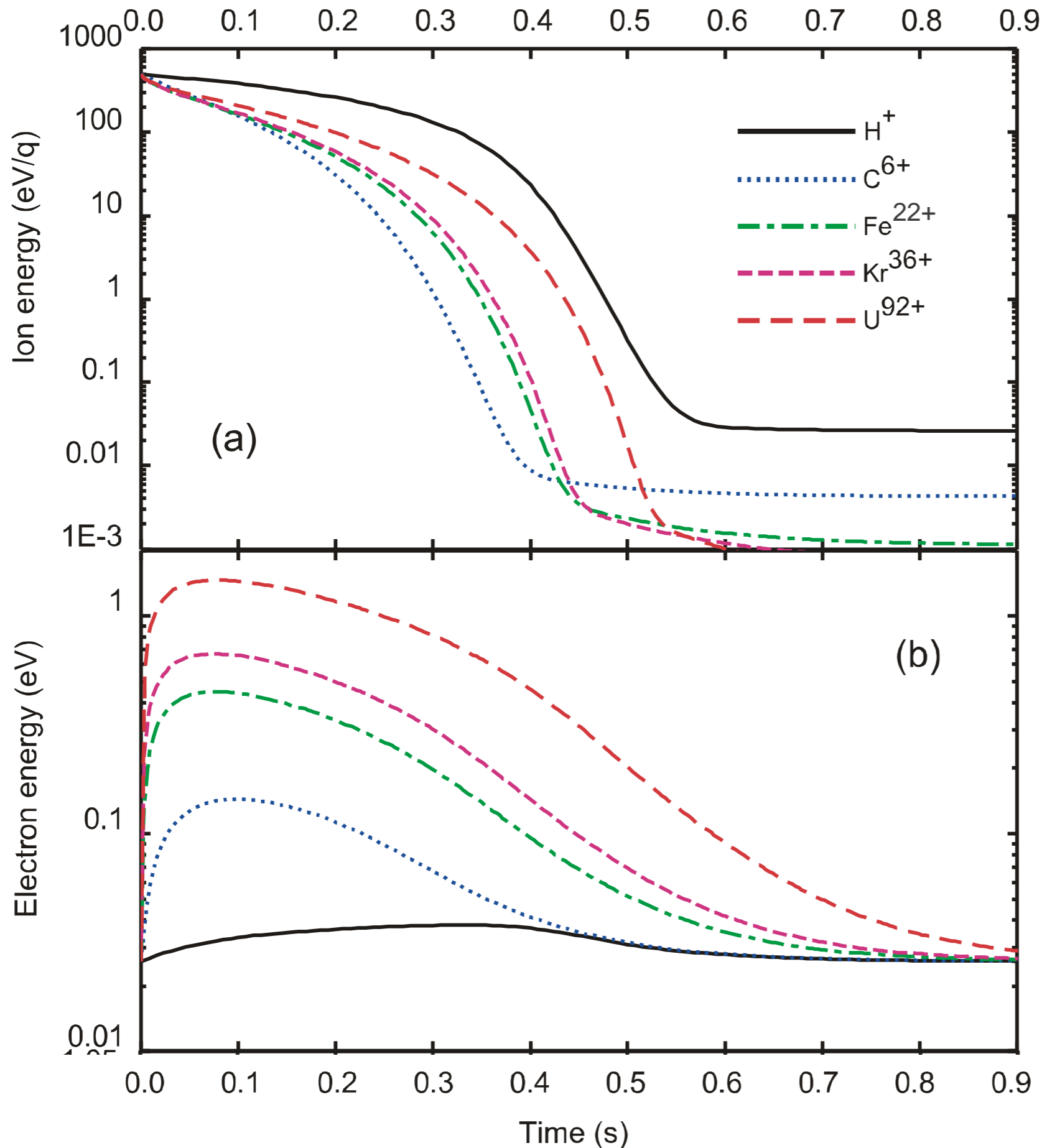
$$\frac{dT_e}{dt} = \frac{1}{\tau_i} \frac{N_i}{N_e} (T_i - T_e) - \frac{1}{\tau_e} (T_e - T_{res}),$$

$$\frac{dT_i}{dt} = -\frac{1}{\tau_i} (T_i - T_e),$$

$$\tau_i = \frac{3(4\pi\epsilon_0)^2 m_e m_i c^3}{8\sqrt{2}\pi n_e q^2 e^4 \ln(\Lambda)} \left( \frac{kT_i}{m_i c^2} + \frac{kT_e}{m_e c^2} \right)^{\frac{3}{2}}$$

$$\ln(\Lambda) = \ln \left( 4\pi \left( \frac{\epsilon_0 k}{e^2} \right)^{\frac{3}{2}} \frac{1}{q} \sqrt{\frac{T_e}{n_e}} \left( T_e + \frac{m_e}{m_i} T_i + 2\sqrt{\frac{m_e}{m_i}} \sqrt{T_e T_i} \right) \right)$$

# Electron cooling I: Cooling



$$n_e = 10^7 \text{ cm}^{-3}$$

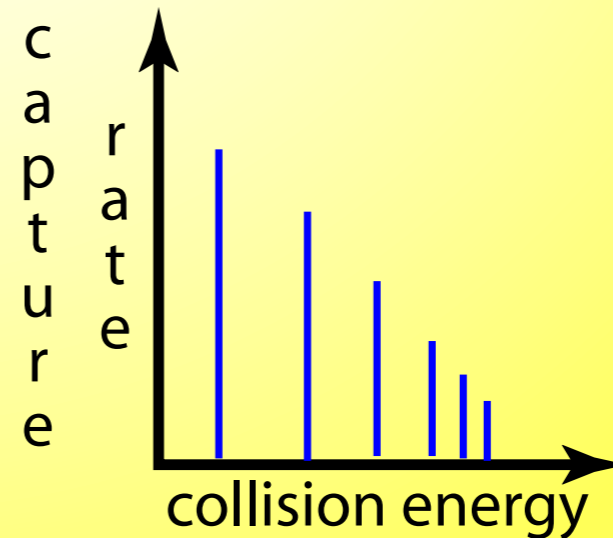
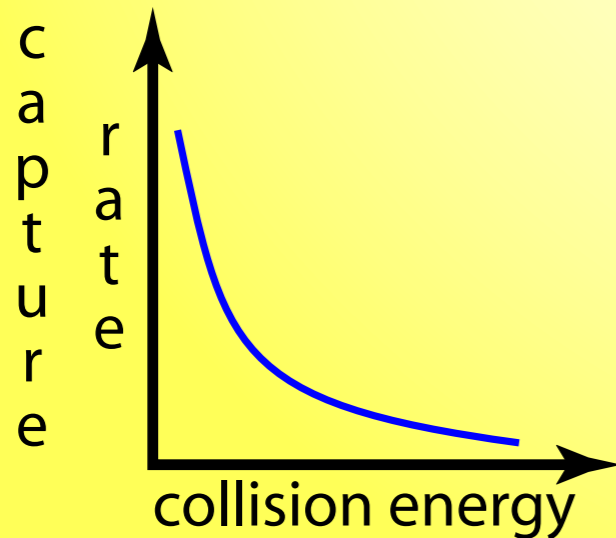
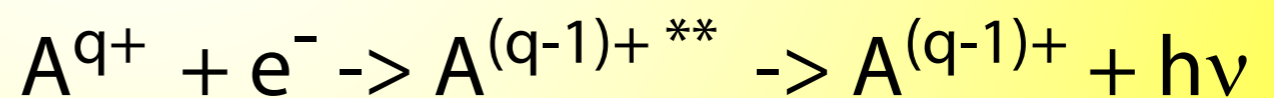
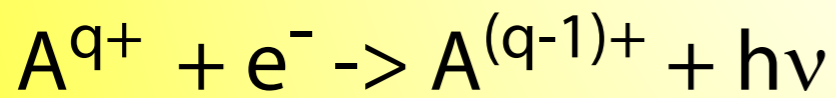
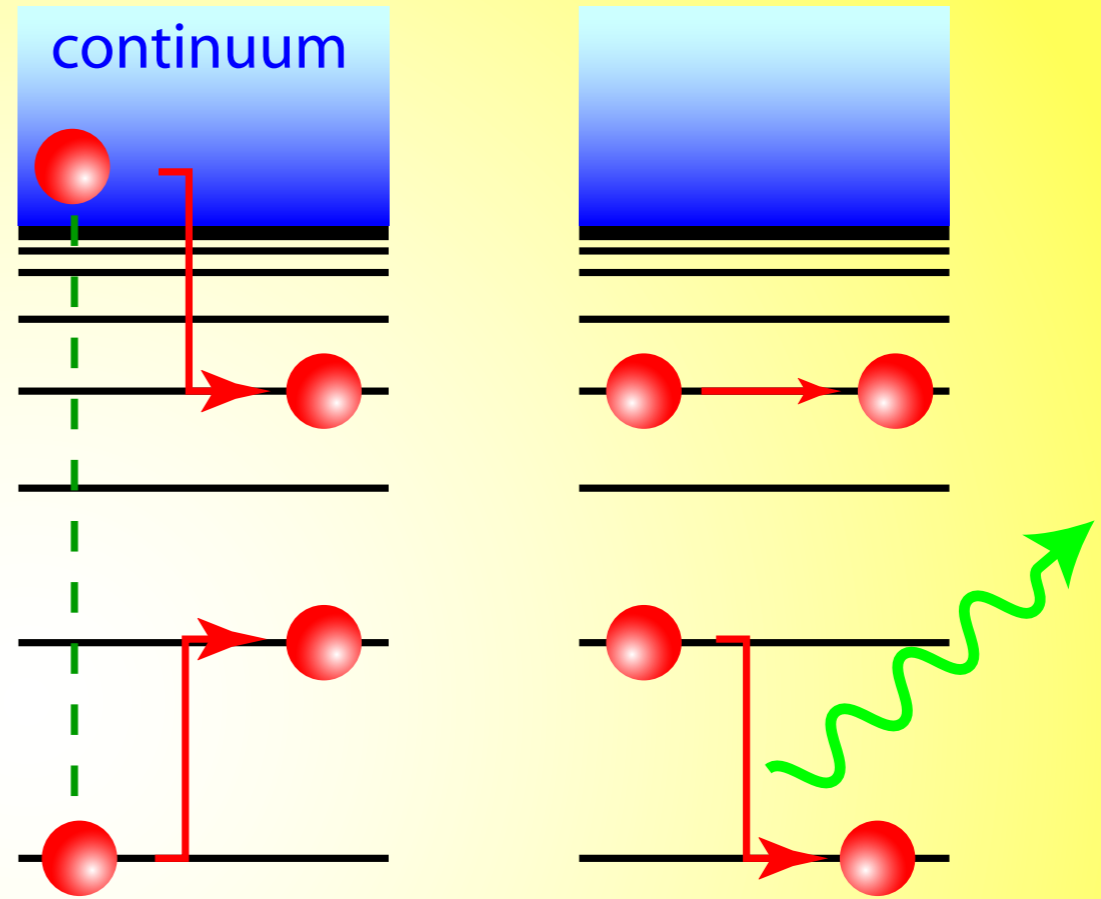
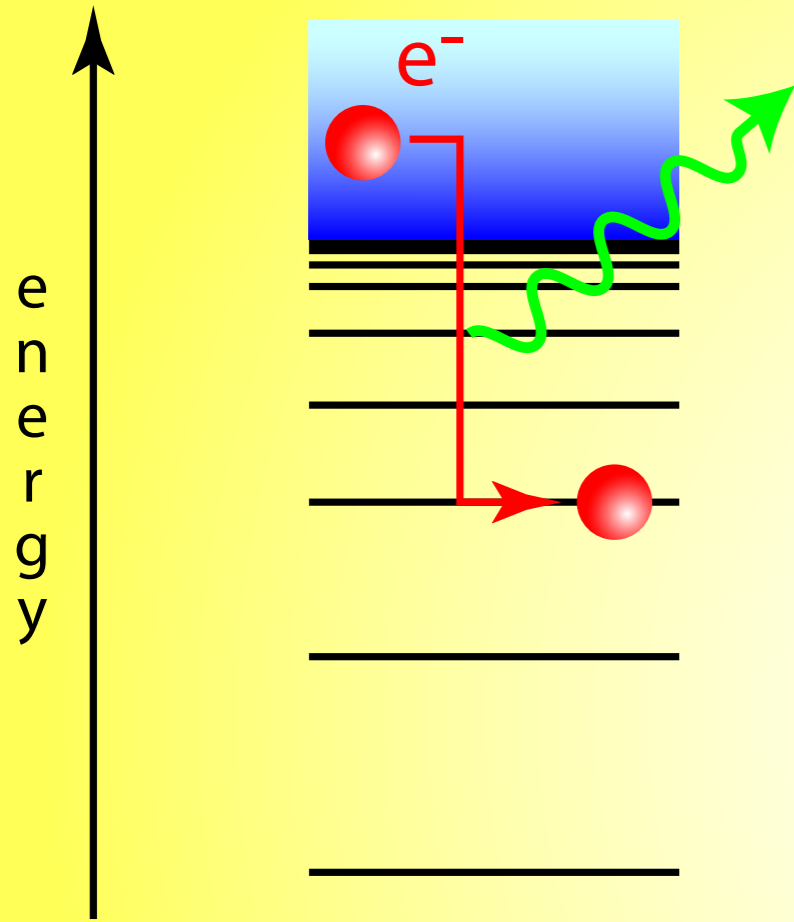
$$N_i / N_e = 10^{-4}$$

$$T_{\text{res}} = 300 \text{ K}$$

# Photorecombination of free electrons and ions

radiative recombination (RR)

dielectronic recombination (DR)



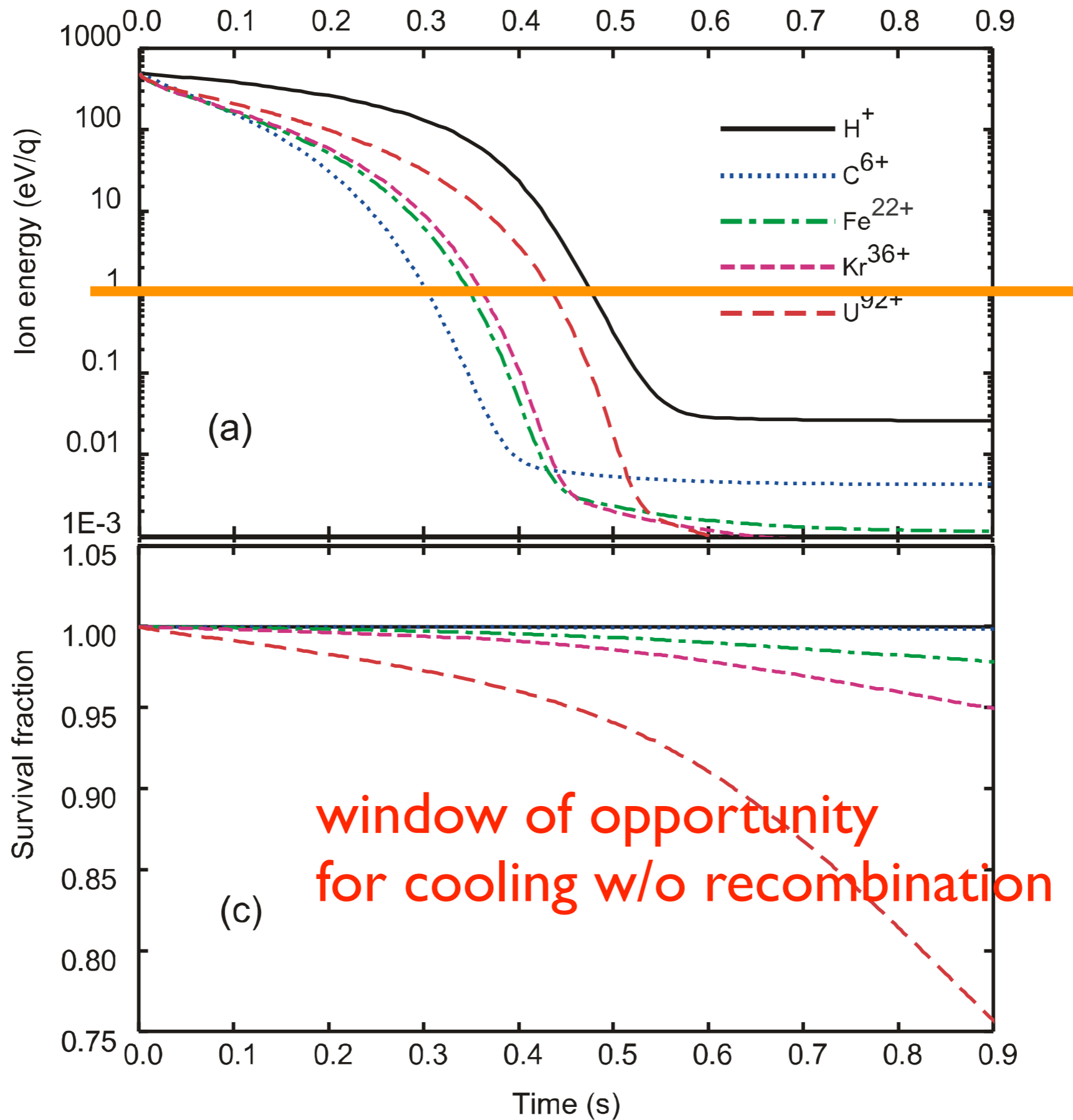
# Electron cooling II: Recombination

$$\frac{dP}{dt} = (\alpha_{RR} + \alpha_{DR} + \alpha_{TBR})n_e$$

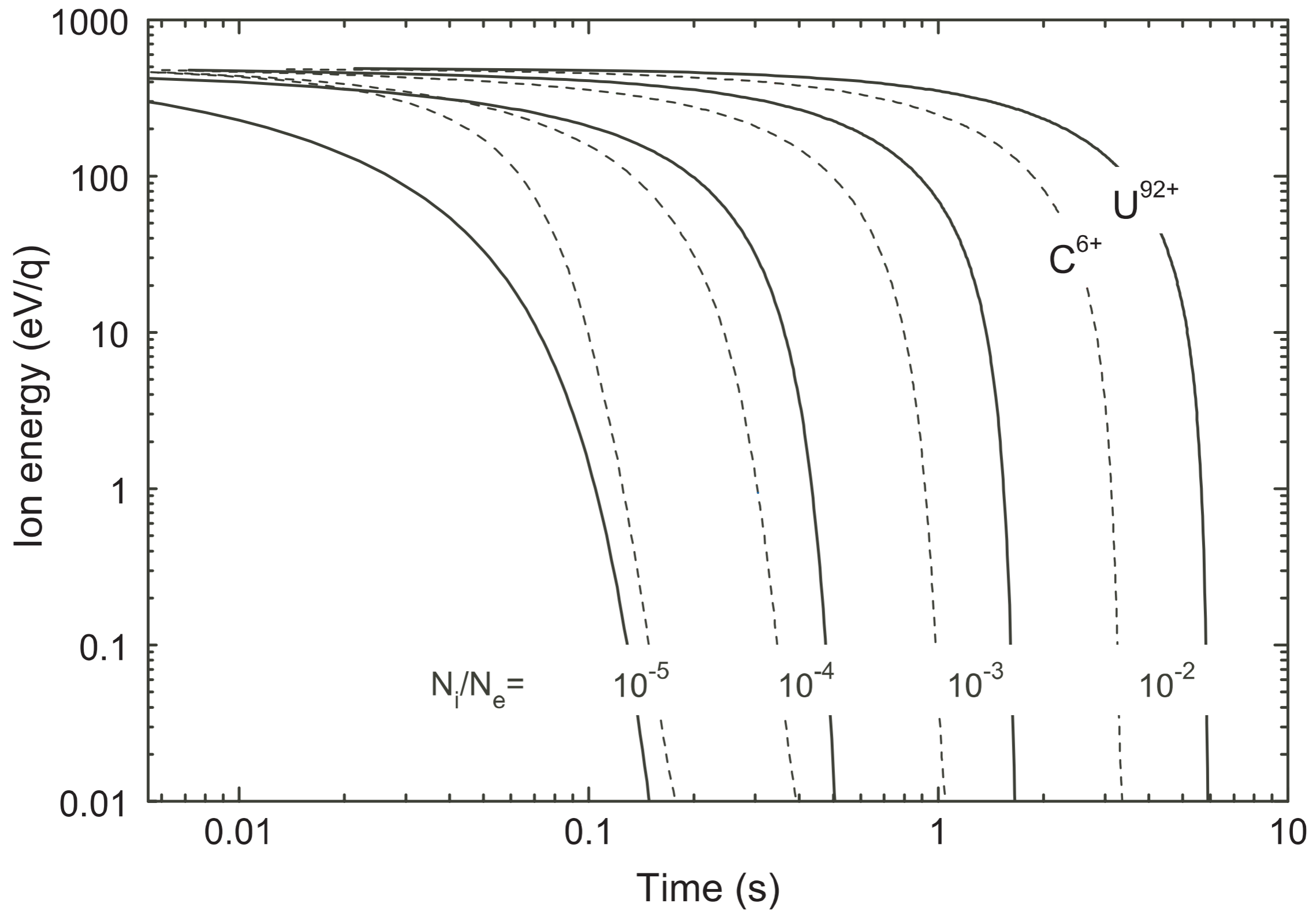
$$\alpha_{RR} = 5.2 \times 10^{-14} Z_{\text{eff}} \sqrt{\frac{E_{\infty}}{T_{\text{eff}}}} \left( 0.43 + \frac{1}{2} \ln(E_{\infty}/T_{\text{eff}}) + 0.469(E_{\infty}/T_{\text{eff}})^{-1/3} \right) \text{cm}^3 \text{s}^{-1}$$

$$\alpha_{TBR} = [2.0 \times 10^{-27} \text{cm}^6 \text{s}^{-1}] q^3 T_{\text{eff}}^{-4.5} n_e$$

# Electron cooling II: Recombination

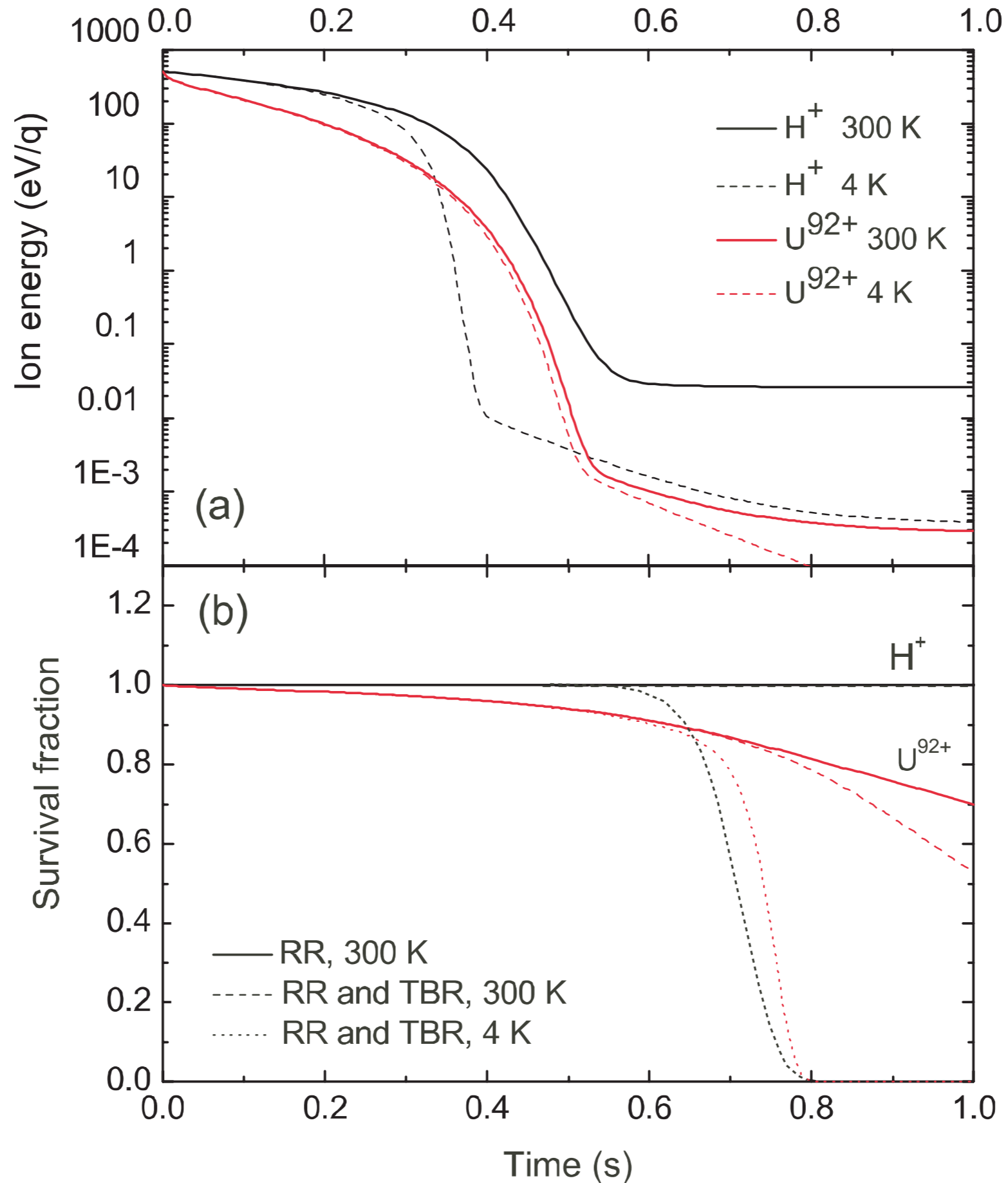


# Cooling speed as a function of $N_i/N_e$





# Influence of three-body recombination

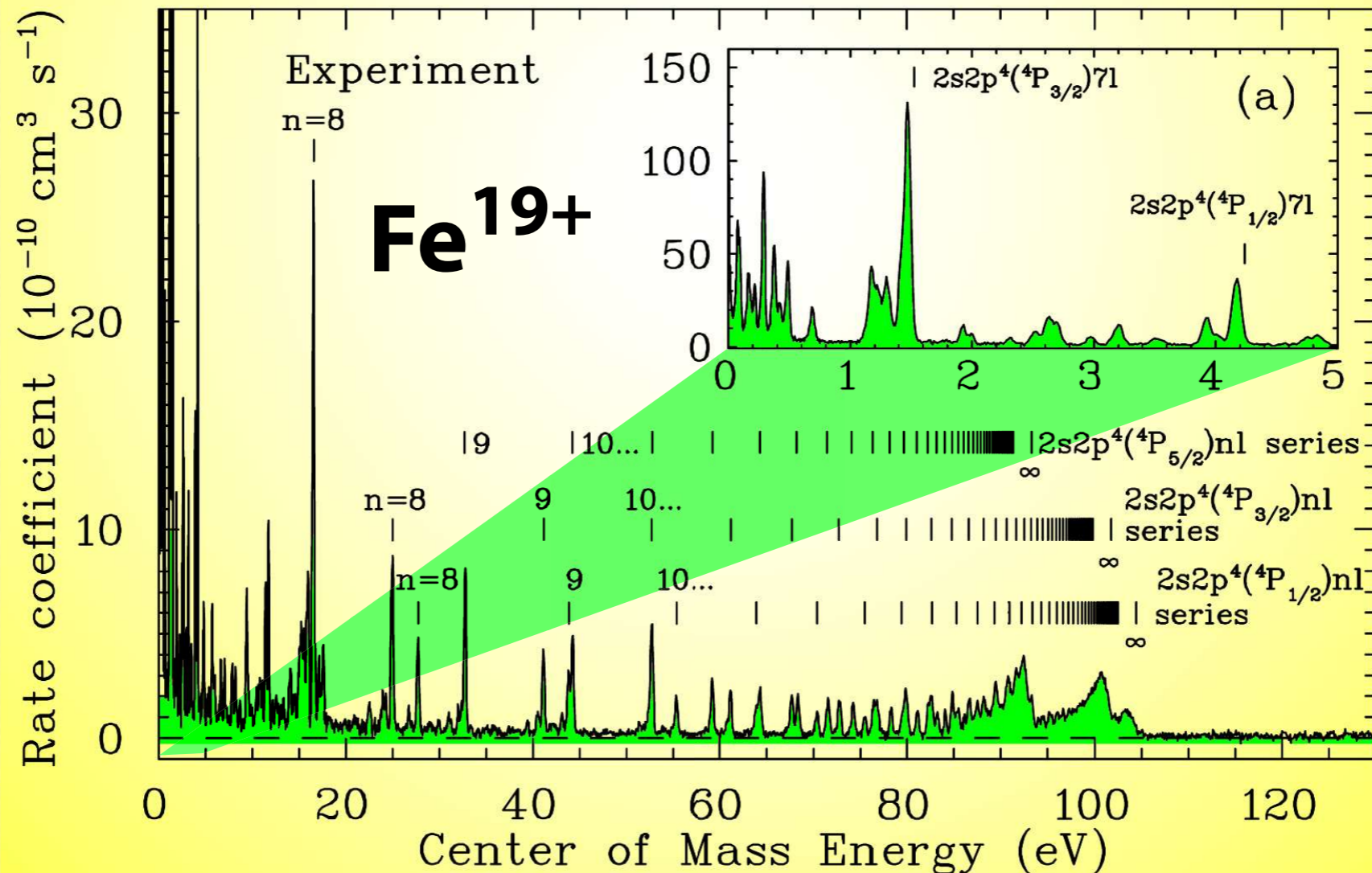


# Photorecombination: application to astrophysics

collaboration with D.W. Savin, Columbia University

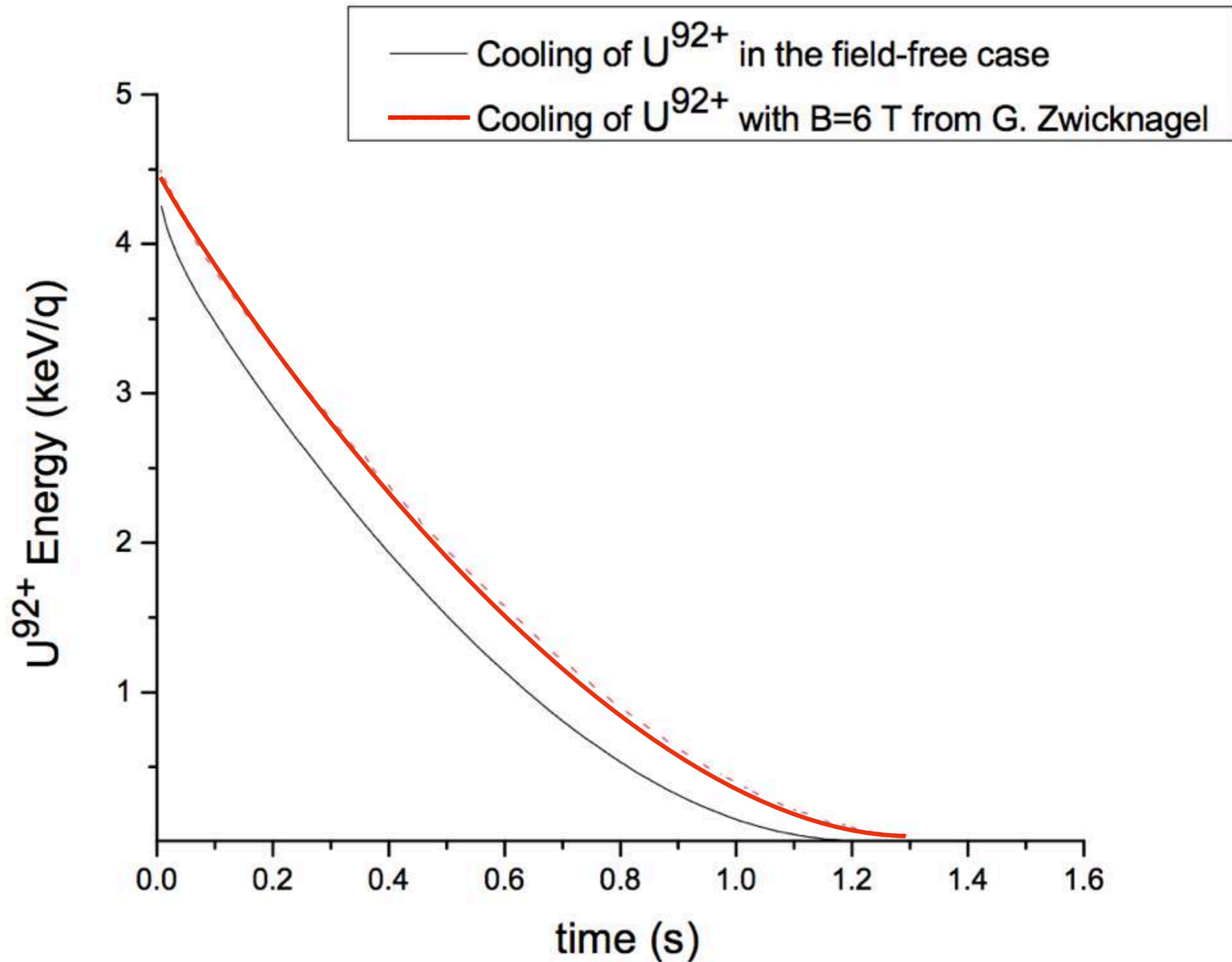
Problem: modelling codes for photoionized nebulae typically use **theoretical DR rates** calculated with **production codes**

To check the reliability, we have systematically surveyed DR rates in astrophysically relevant **L-shell iron ( $\text{Fe}^{16+} \dots \text{Fe}^{23+}$ )**

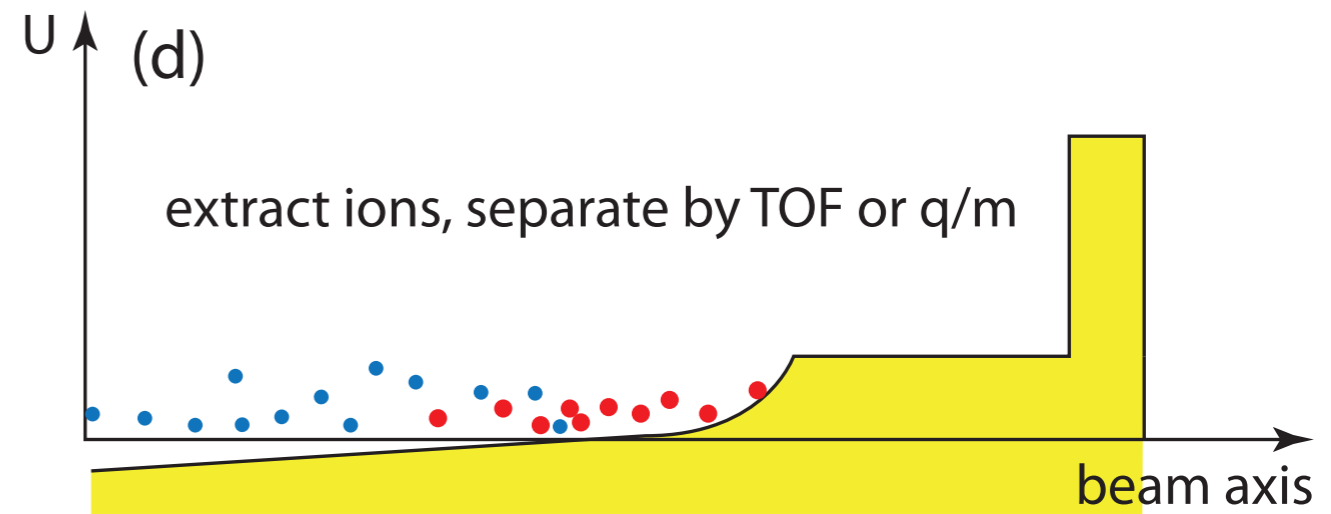
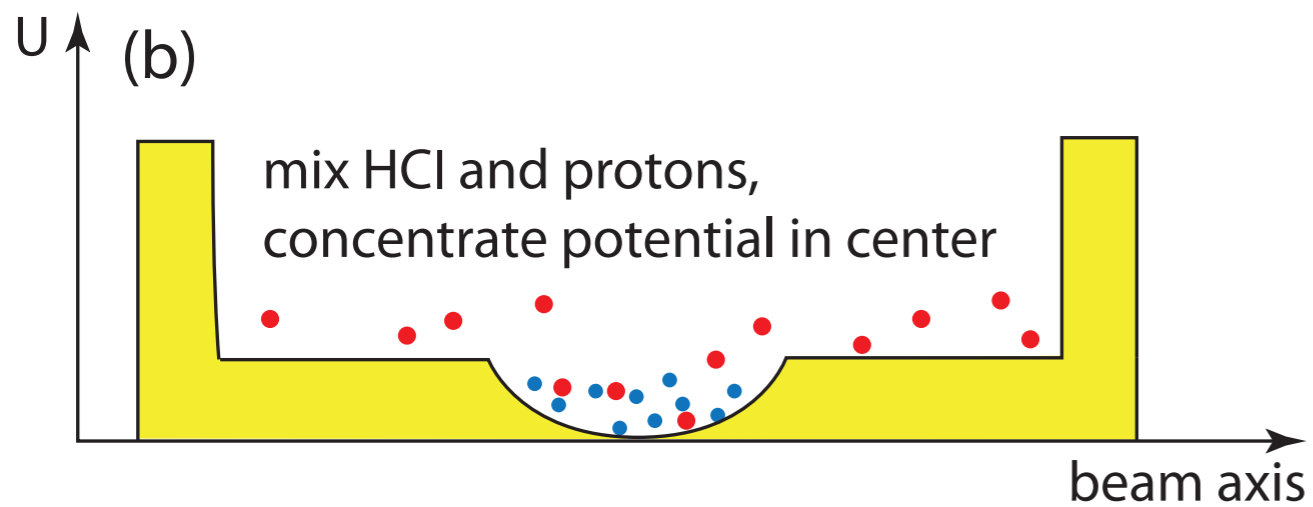
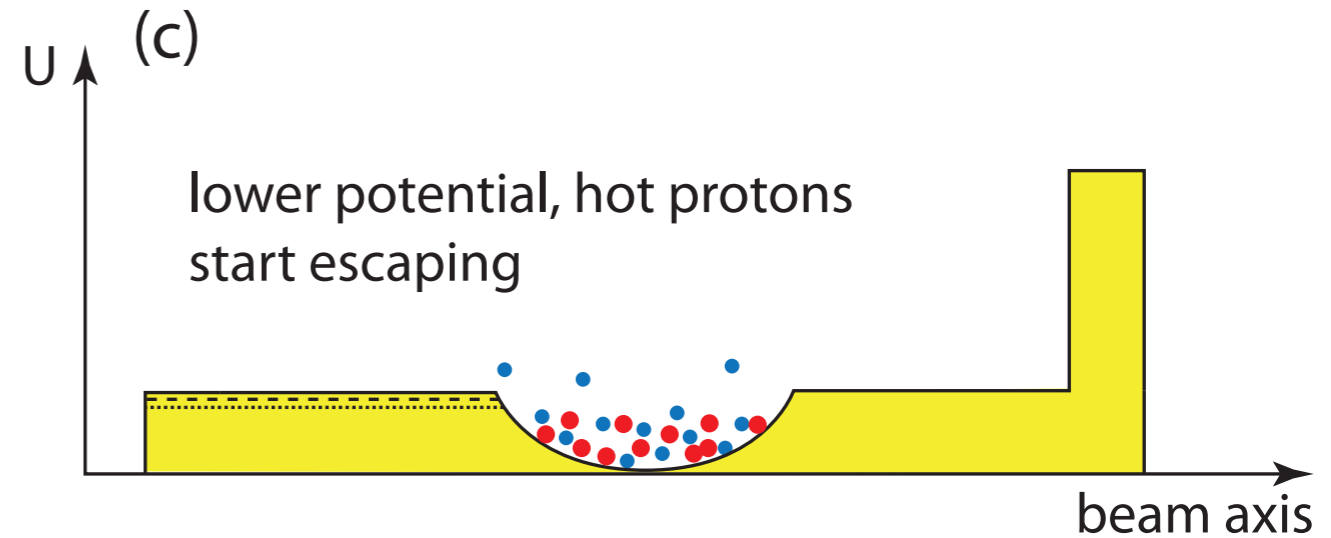
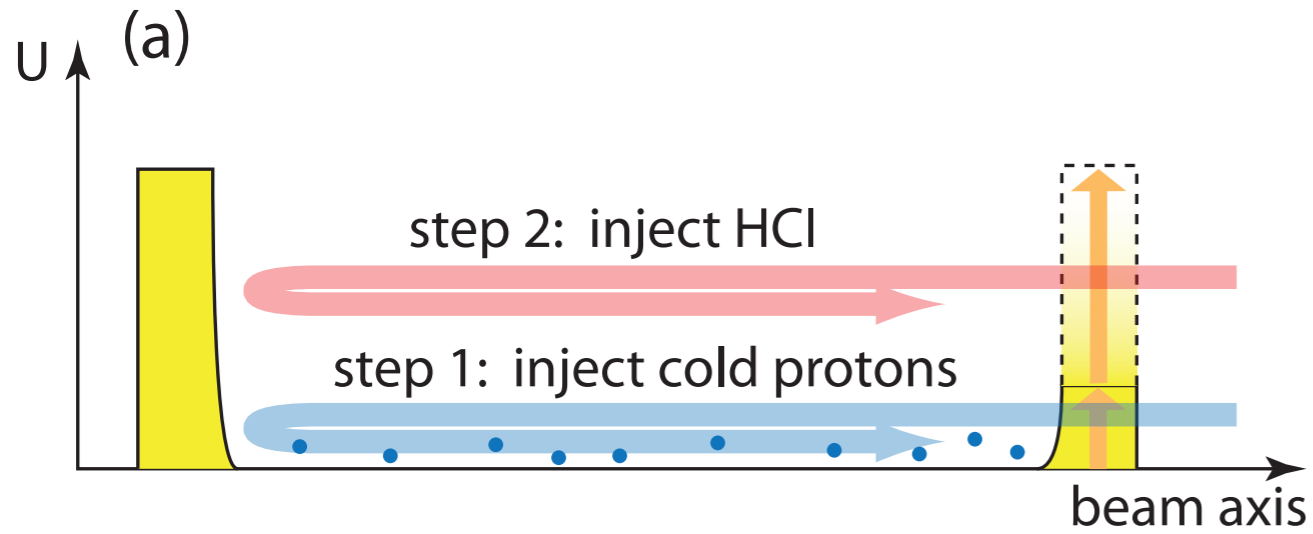


D.W. Savin et al., accepted for publication in Astrophysical Journal

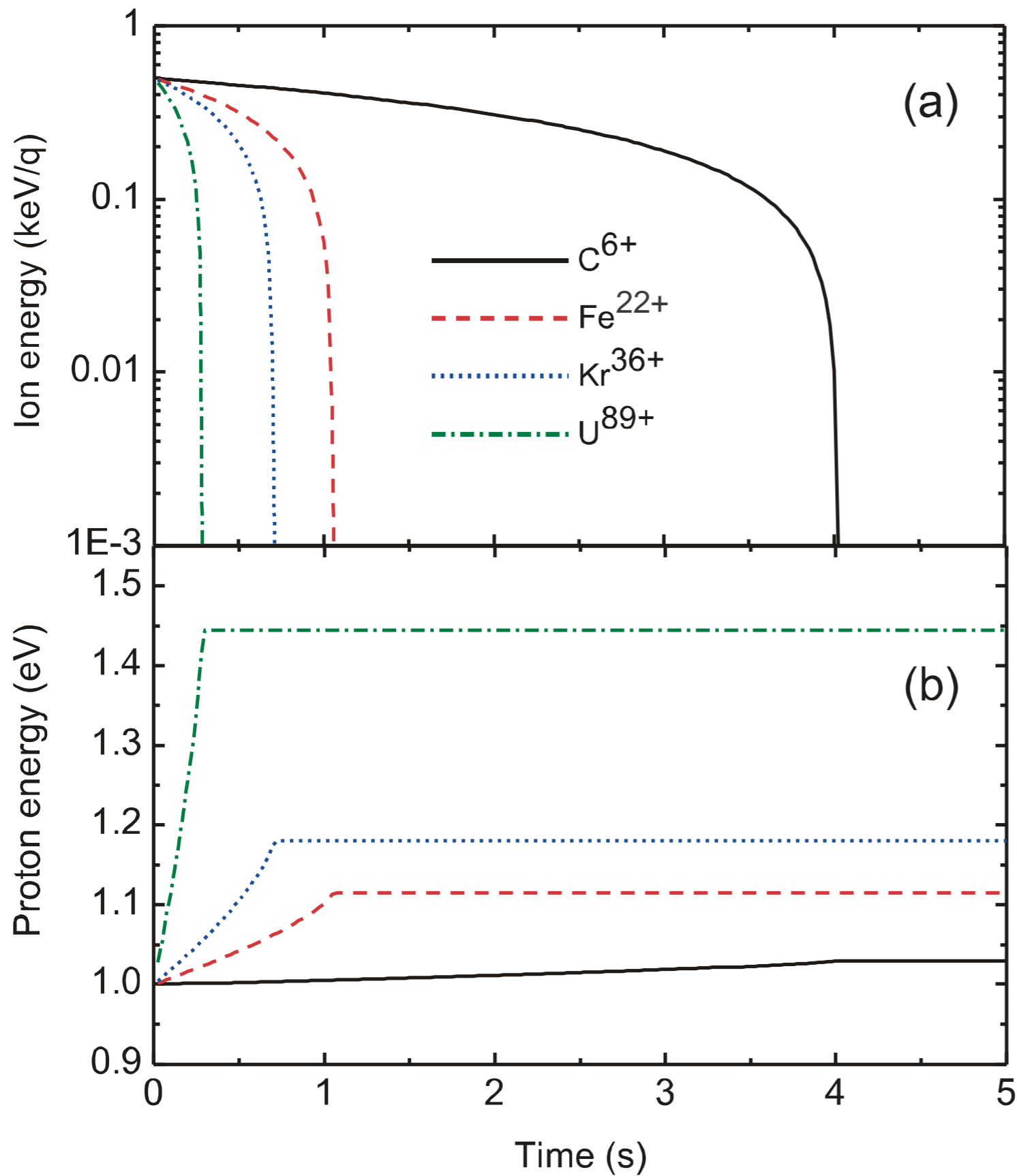
# Does the magnetic field play a role?



# Proton cooling



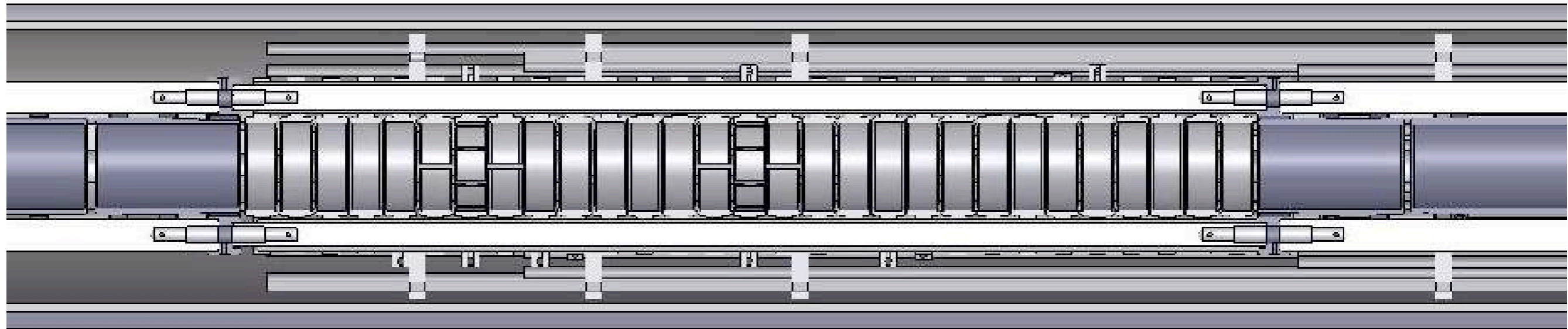
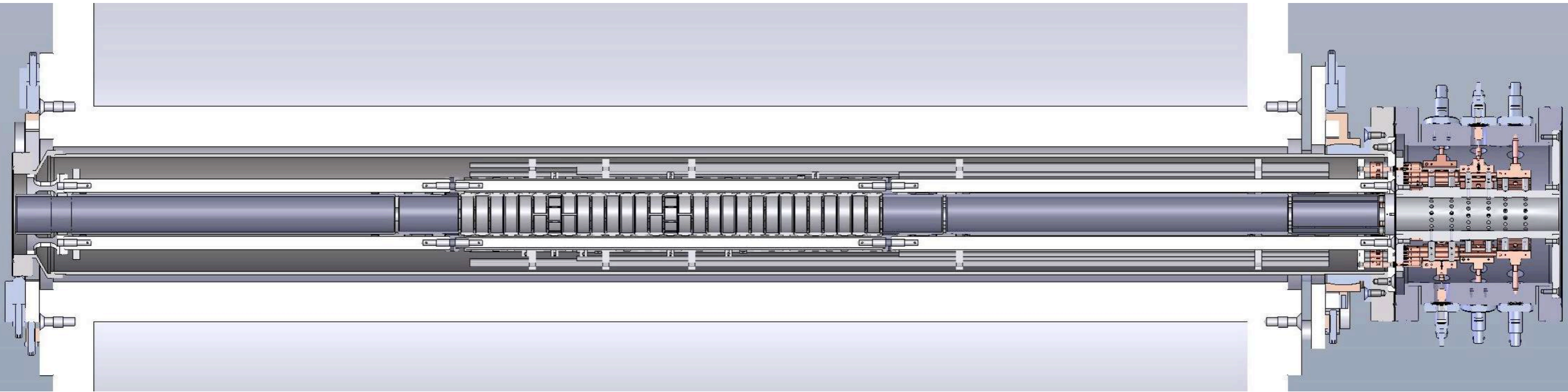
# Proton cooling



$$n_p = 10^8 \text{ cm}^{-3}$$

$$N_i / N_p = 10^{-5}$$

# Layout of the cooler trap



details in the next talk by Vanessa