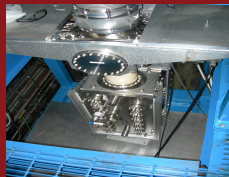


Laser spectroscopy at TRIUMF

TITAN collaboration meeting 2010

Matthew Pearson

May 26, 2010



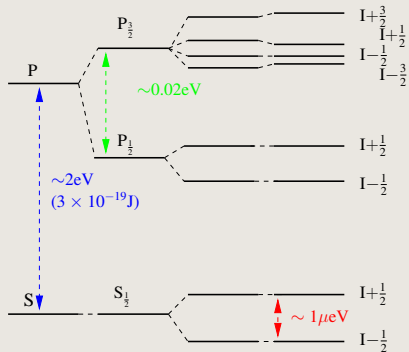
Overview

- Hyperfine interactions
- Isotope shifts

Measurements – planned and in progress

- Nuclear charge radii
- Nuclear Moments
- Nucleon distributions

Conclusion



Harmonic
Oscillator

L+S

Magnetic dipole interaction + electric quadrupole interaction

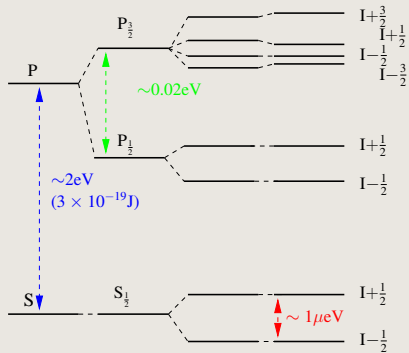
$$\Delta E_{hfs} = A \frac{K}{2} + B \frac{\frac{3}{2}K(K+1) - 2I(I+1)J(J+1)}{4I(2I-1)J(2J-1)}$$

$$K = F(F+1) - J(J+1) - I(I+1)$$

$$A = \mu_N g_I \frac{B_{el}}{J} \quad B = eQ_s \left\langle \frac{\delta^2 V}{\delta z^2} \right\rangle$$

A photon has angular momentum 1 therefore can induce transitions

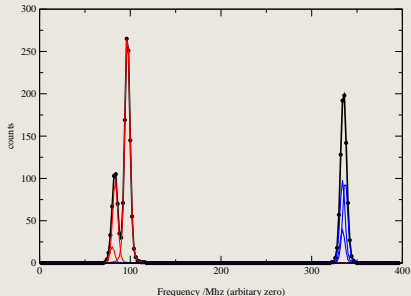
$$\Delta F = 0, \pm 1 \text{ (NOT } 0 \rightarrow 0)$$



Harmonic
Oscillator

L+S

Magnetic dipole + electric quadrupole interaction

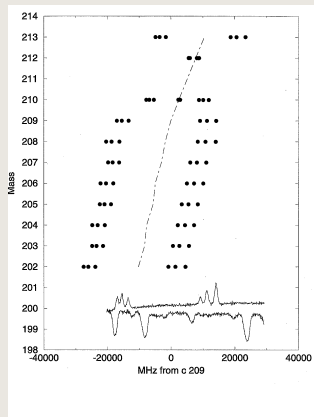


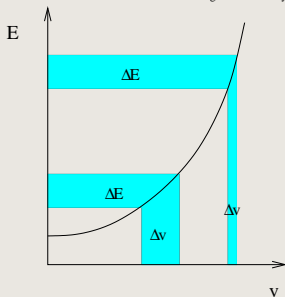
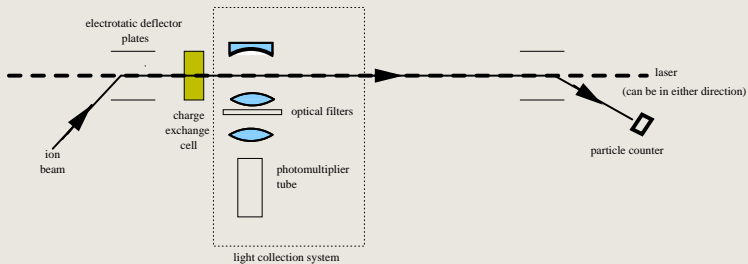
Change in the energy of a transition due to a change in the nuclear mass

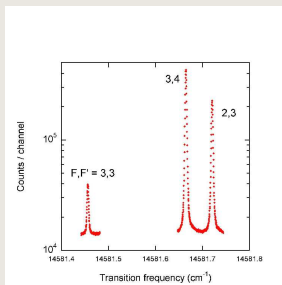
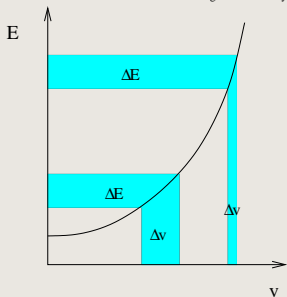
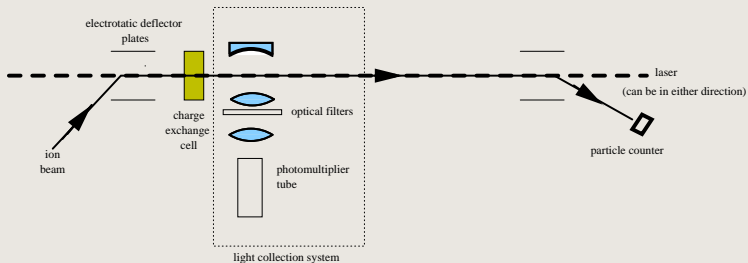
$$\delta\nu^{A,A'} = \delta\nu_{mass}^{A,A'} + F_i(Z)\delta\langle r^2 \rangle^{A,A'}$$

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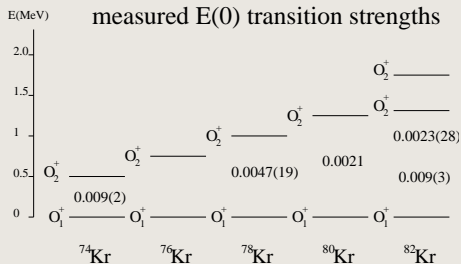






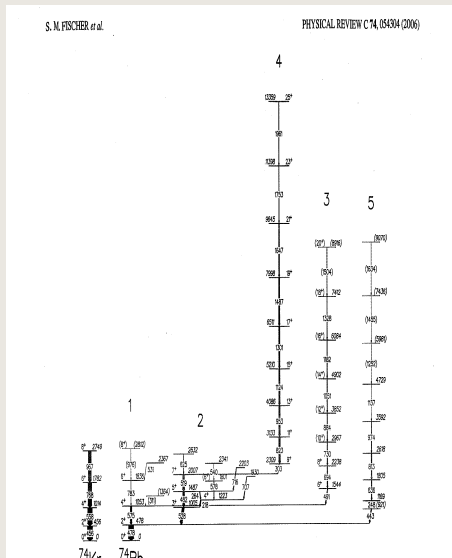
- N=Z nucleus
- Superallowed β -emitter
- ^{74}Rb is the isobaric analogue of ^{74}Kr

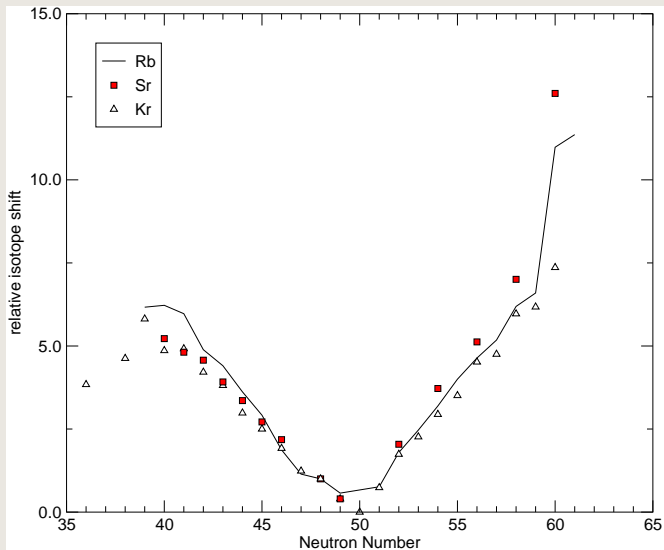
- $N=Z$ nucleus
- Superallowed β -emitter
- ^{74}Rb is the isobaric analogue of ^{74}Kr
- Co-existence of two 0^+ configurations is known in the region

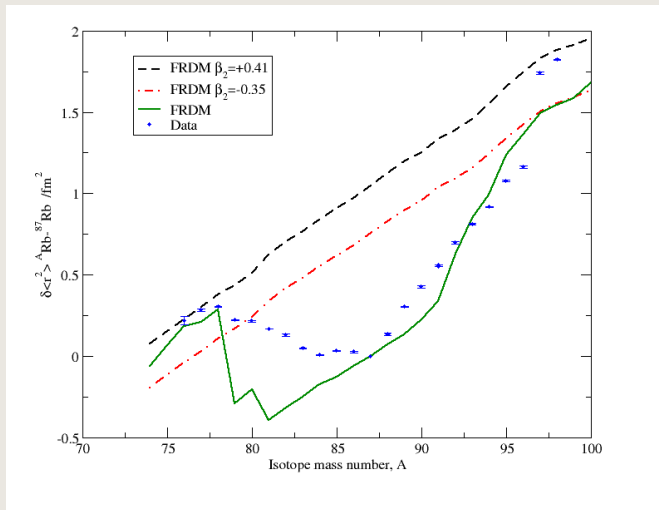


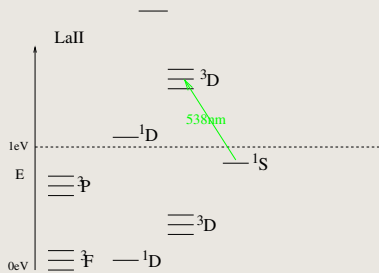
Data taken from J.L.Wood et.al. Nuclear Physics A 651 pp323-368 (1999)
and references there-in

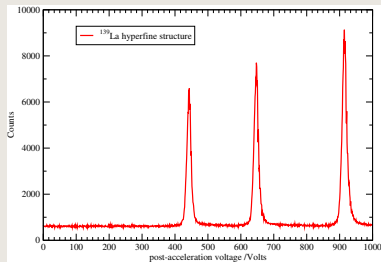
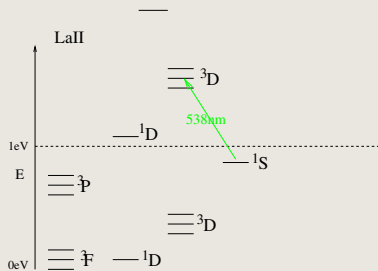
- $N=Z$ nucleus
- Superaligned β -emitter
- ^{74}Rb is the isobaric analogue of ^{74}Kr
- Co-existence of two 0^+ configurations is known in the region
- In-beam γ -ray spectroscopy has revealed many analog states but no excited 0^+

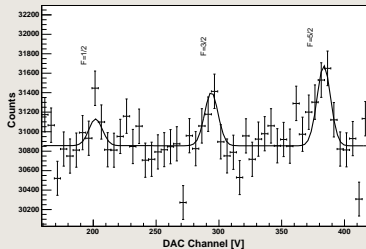
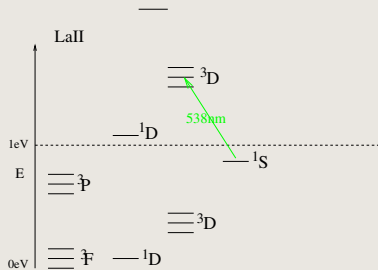


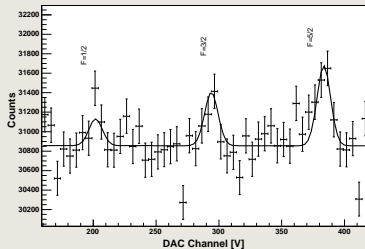
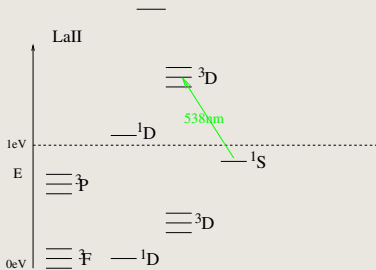




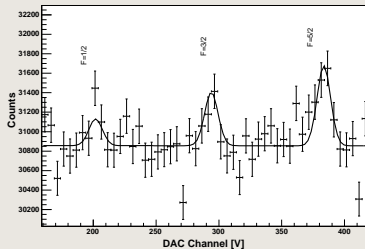
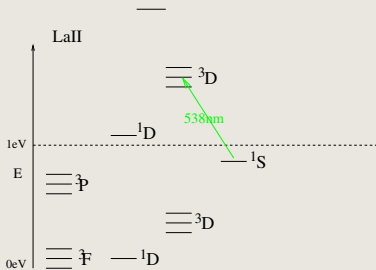




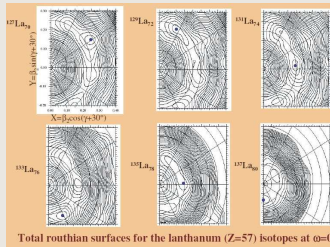


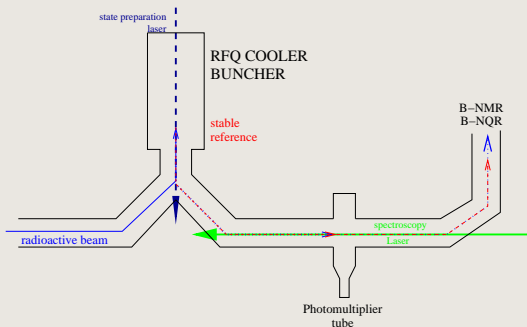
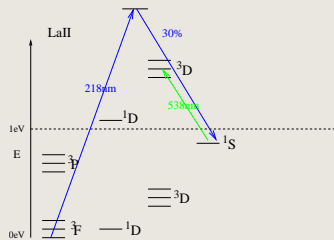


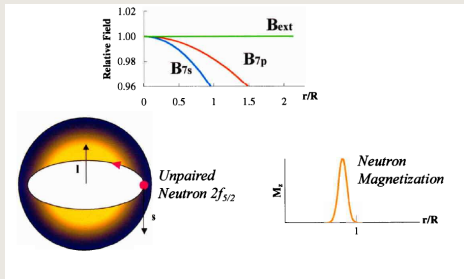
Nuclide	spin	μ/μ_N	Q/eb
^{139}La	$\frac{7}{2}^+$	+2.7830455(9)	+0.20(1)
^{137}La	$\frac{7}{2}^+$	+2.700(15)	+0.21(3)
^{135}La	$\frac{5}{2}^+$	+3.70(9)	-0.4(4)
^{131}La	$\frac{3}{2}^+$	+0.589(20)	-0.62(15)

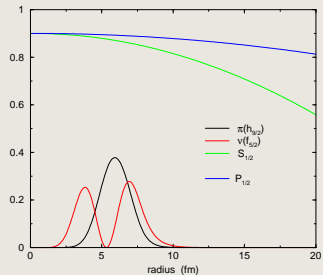
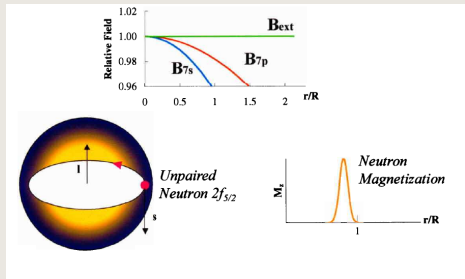


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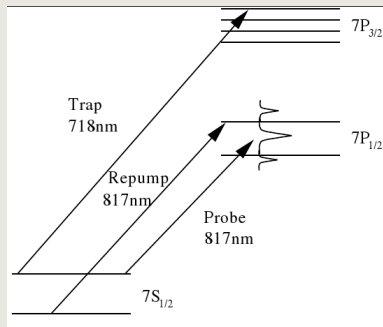




Bohr Weisskopf effect

$$A = A_{pt}(1 + \epsilon)$$

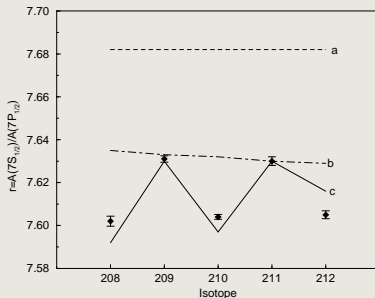
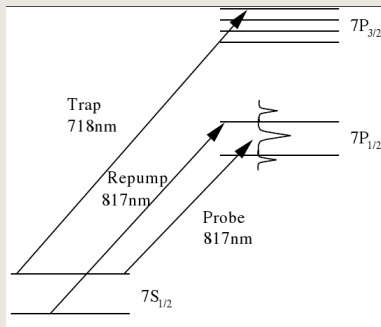
$$\frac{A}{A'} = \frac{A_{pt}(1+\epsilon)}{A'_{pt}(1+\epsilon')} \approx \frac{A_{pt}}{A'_{pt}}(1 + \epsilon - \epsilon') = \frac{A_{pt}}{A'_{pt}}(1 + \Delta)$$



Bohr Weisskopf effect

$$A = A_{pt}(1 + \epsilon)$$

$$\frac{A}{A'} = \frac{A_{pt}(1+\epsilon)}{A'_{pt}(1+\epsilon')} \approx \frac{A_{pt}}{A'_{pt}}(1 + \epsilon - \epsilon') = \frac{A_{pt}}{A'_{pt}}(1 + \Delta)$$



- Laser spectroscopy can probe many different nuclear properties
- RFQ cooler-buncher enhances the sensitivity of traditional collinear spectroscopy (see next talk)
- RFQ allows atomic state preparation to enhance signal



WILLIAM
& MARY

